



A re-assessment of rooting depth dynamics and their influence on catchment water fluxes

Randall Donohue¹, Michael Roderick², Tim McVicar¹

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www.csiro.au

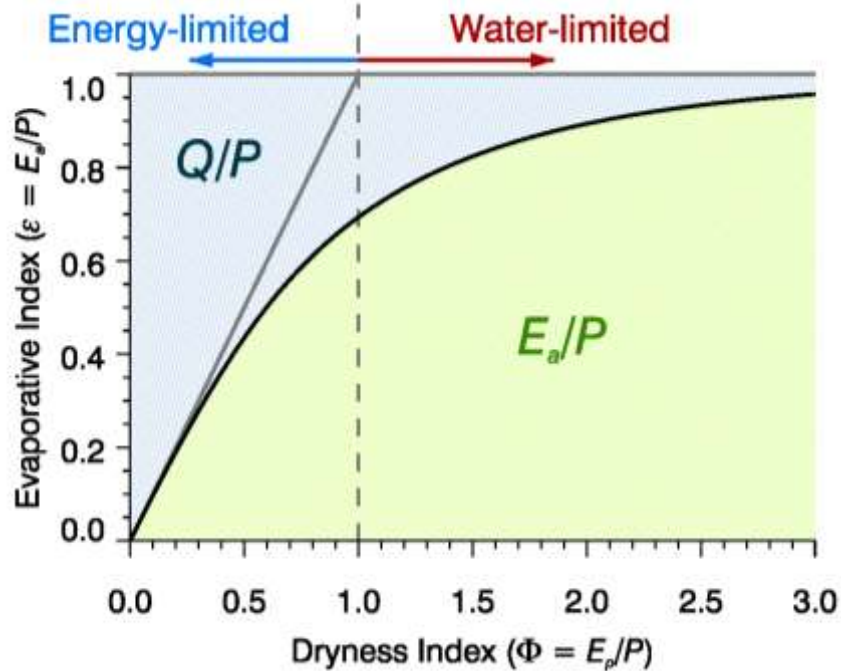


¹Environmental Earth Observation Group, CSIRO Land and Water

²Research Schools of Earth Sciences and of Biology, ANU



Estimating average stream flow using Budyko's model

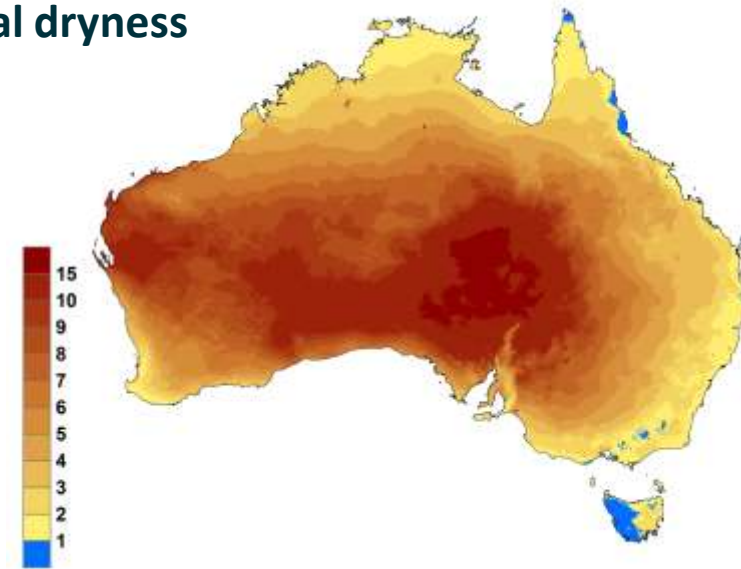


$$E_a = \left[R_s P \tanh \frac{P}{R_s} \left(1 - \cosh \frac{R_s}{P} + \sinh \frac{R_s}{P} \right) \right]^{1/2}$$

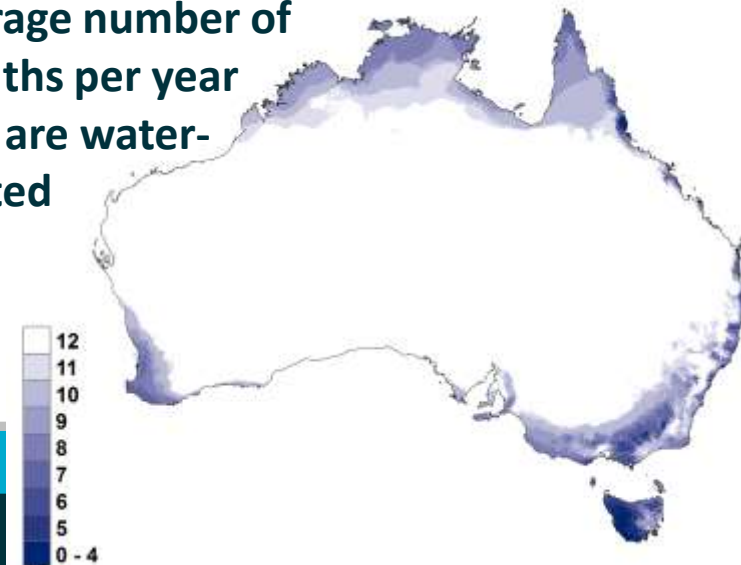
Note: Budyko originally framed this as water supply (P) versus energy supply (R_s). It is common to use R_s and evaporative demand (E_p) interchangeably.

Budyko, M.I., 1974. *Climate and life*. International Geophysics Series, 18. Academic, New York, 508 pp.

Annual dryness index



Average number of months per year that are water-limited



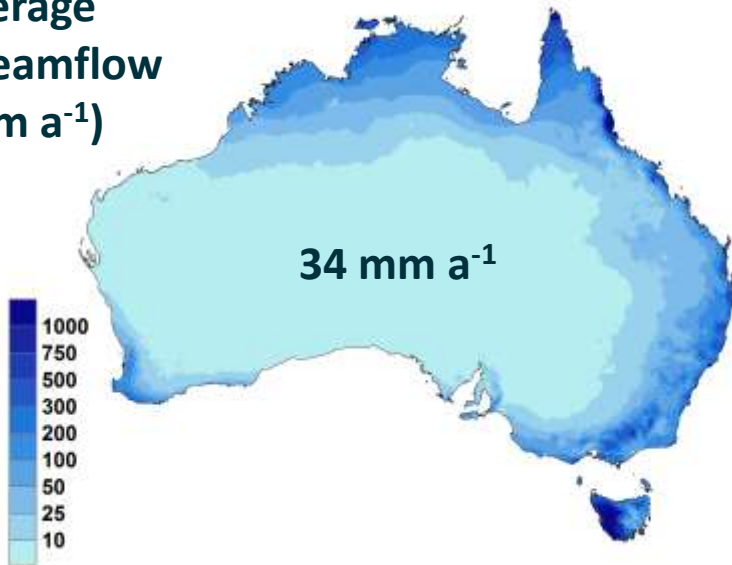
Estimating average stream flow using Choudhury's formulation

$$E_a = \frac{PR_{net}}{P^n + R_{net}^n}^{1/n}$$

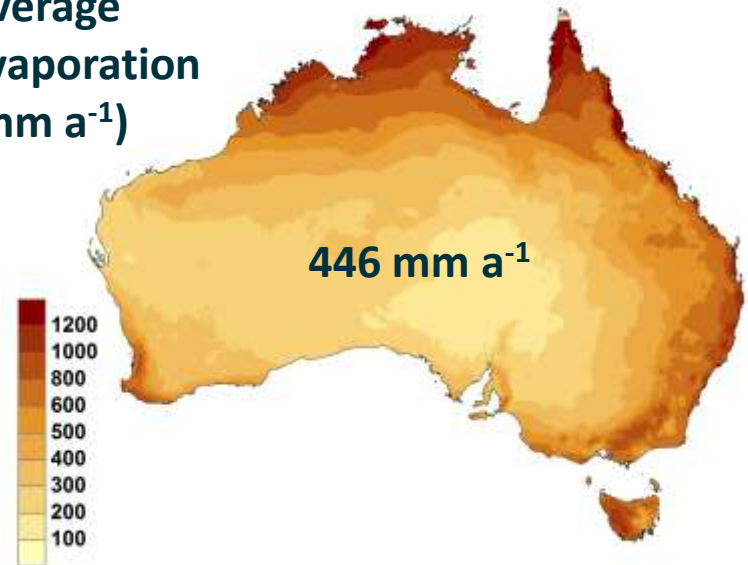
$n = 1.8$ for large catchments

$n \approx 1.9$ is Budyko's curve

Average
streamflow
(mm a⁻¹)



Average
evaporation
(mm a⁻¹)



Choudhury, B.J., 1999. Evaluation of an empirical equation for annual evaporation using field observations and results from a biophysical model. *Journal of Hydrology*, 216(1/2), pp 99-110

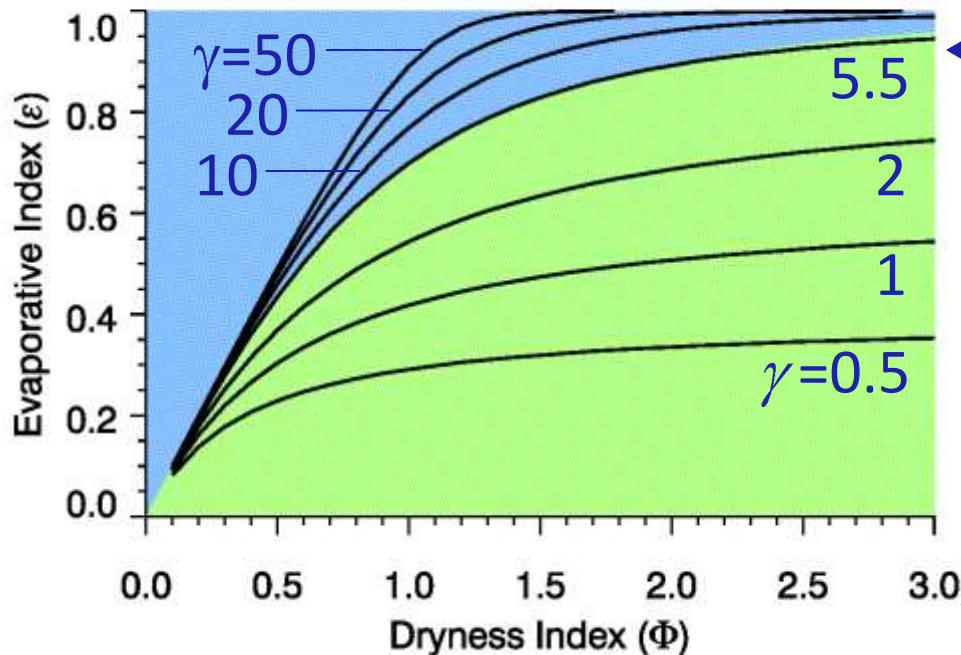
Porporato *et al*'s supply/storage relation

$$\gamma = \frac{\kappa Z}{\alpha}$$

κ = relative soil water holding capacity (mm/mm)

Z = max. storage depth (mm)

α = storm depth (mm)



← Budyko's curve is where the storage depth is ~5.5 times the mean supply depth

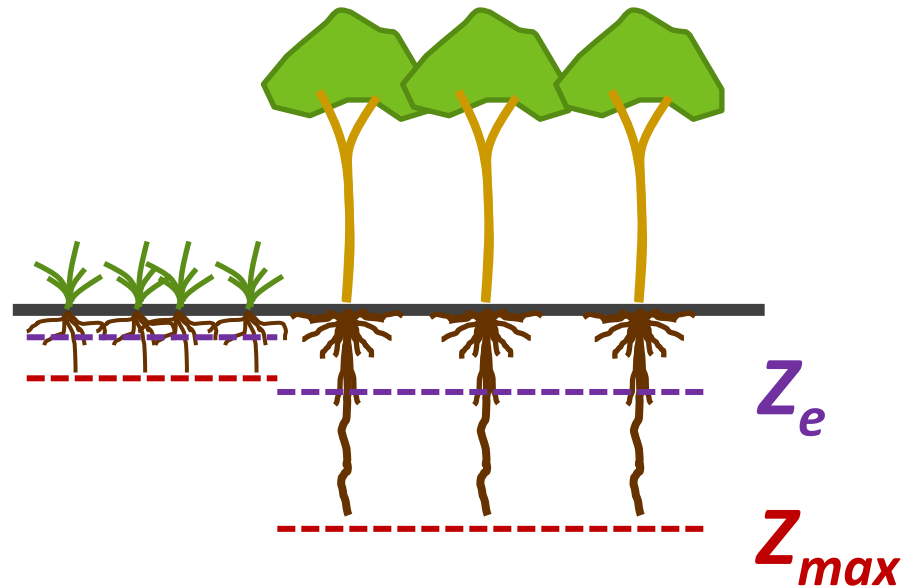
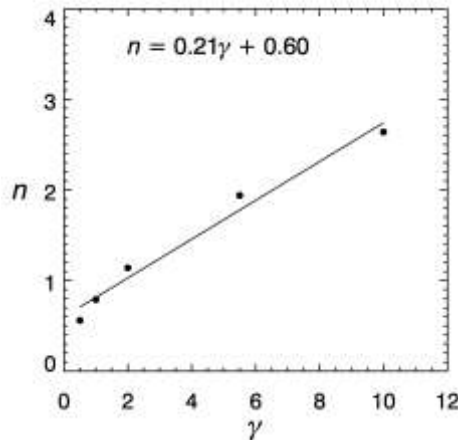
Z is the extraction (rooting) depth = vegetation!

Porporato, A., Daly, E. and Rodriguez-Iturbe, I., 2004. Soil water balance and ecosystem response to climate change. *Am Nat*, 164(5), pp 625-632

The Budyko–Choudhury–Porporato (BCP) model

$$E_a = \frac{PE_p}{P^n + E_p^n}^{1/n}$$

$$n \approx 0.21 \frac{\kappa Z_e}{\alpha} + 0.6$$

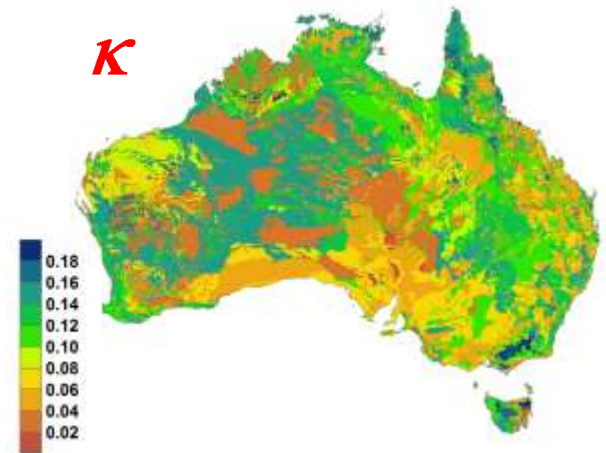


Donohue, R.J., Roderick, M.L. and McVicar, T.R., 2012. Roots, storms and soil pores: incorporating key ecohydrological processes into Budyko's hydrological model. *Journal of Hydrology*, 436-437, pp 35-50.

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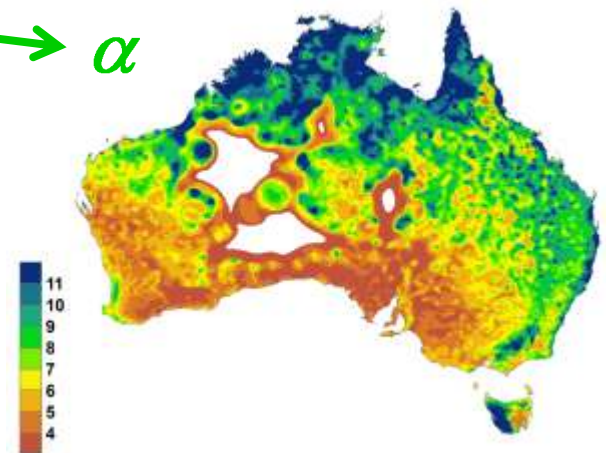
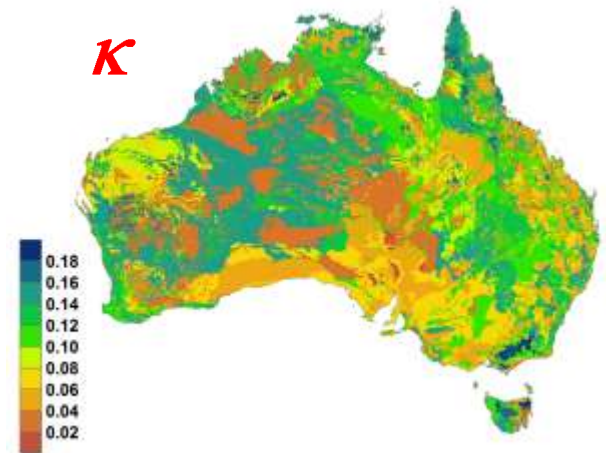


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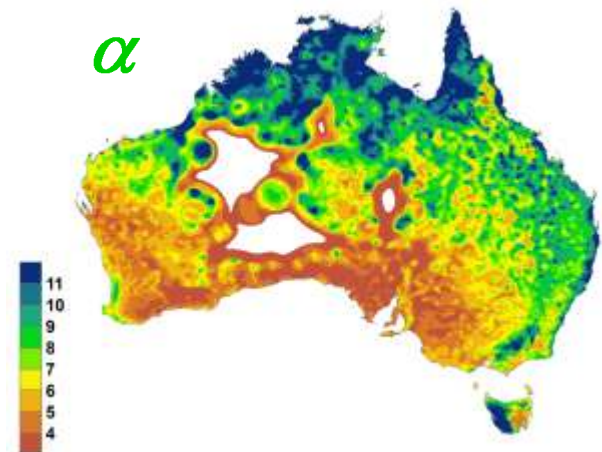
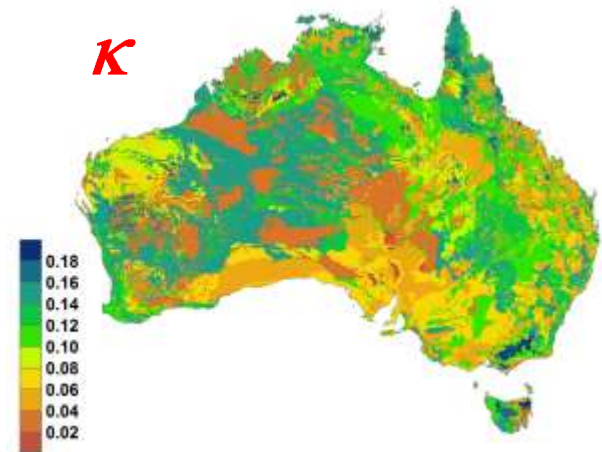
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Z_e



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For a given vegetation type, what determines rooting depth?

Broad generalisations suggest that, under water-limited conditions...

Precipitation amount

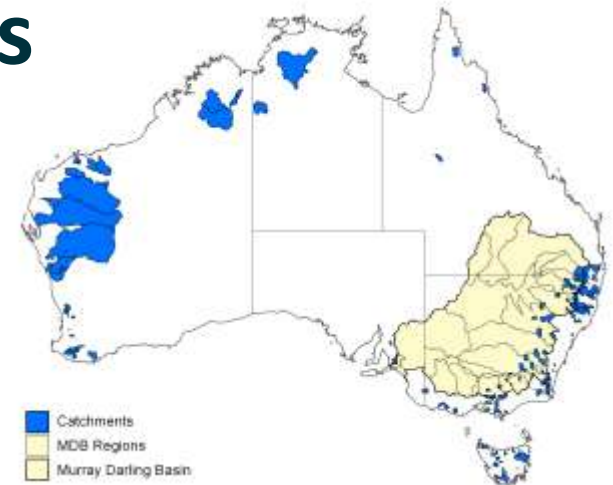
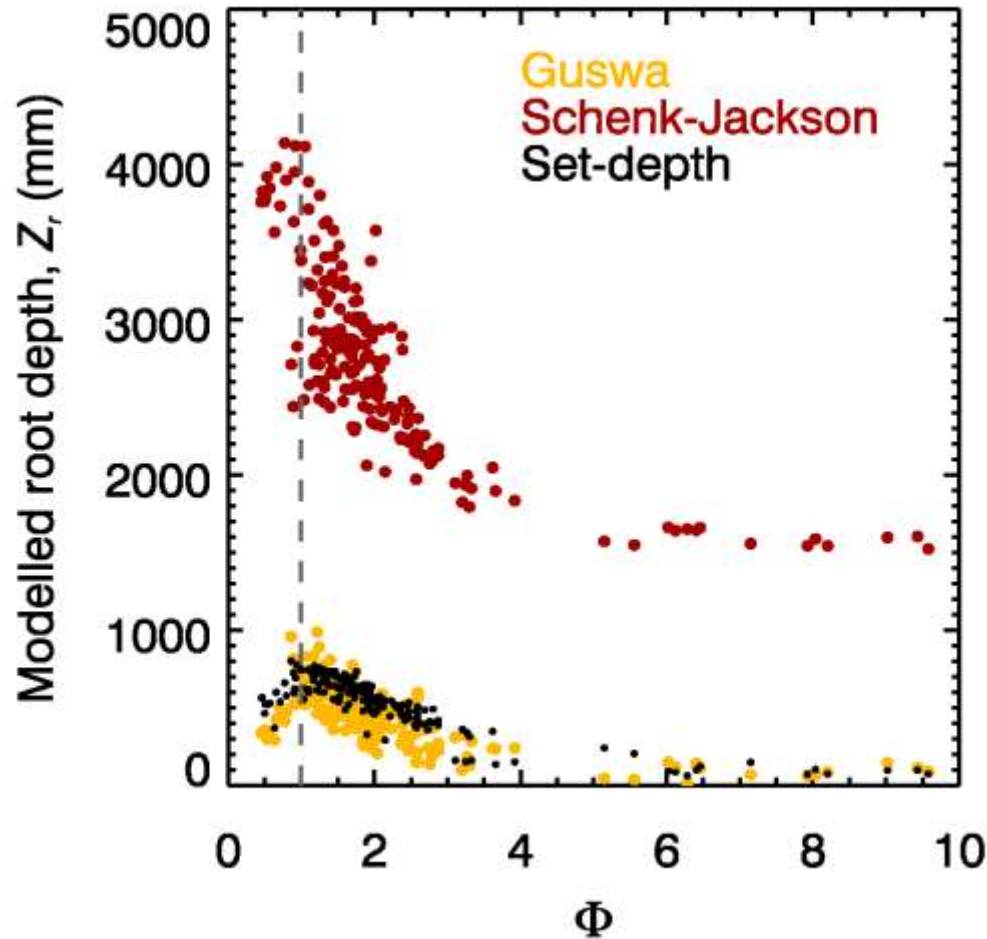
...the higher the rainfall, the deeper the rooting depth (Schenk and Jackson, 2002)

Precipitation intensity/seasonality

...the higher the rainfall intensity and/or seasonality under a given annual rainfall, the deeper roots become in order to maintain the same transpiration rate (Laio et al., 2002; Milly, 1994a; Porporato et al., 2004; Schenk and Jackson, 2002).

Models of rooting depth typically capture only the first of these generalisations.....

Existing rooting depth models



Existing rooting depth models

Schenck-Jackson – empirical model (Z_{max})

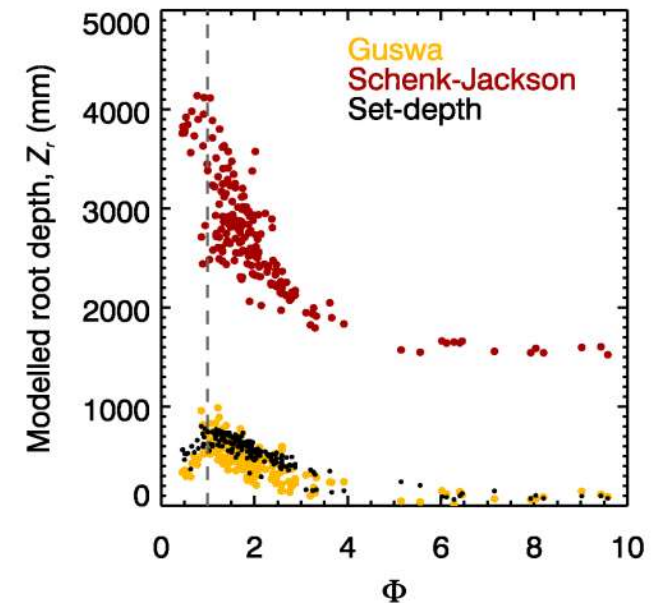
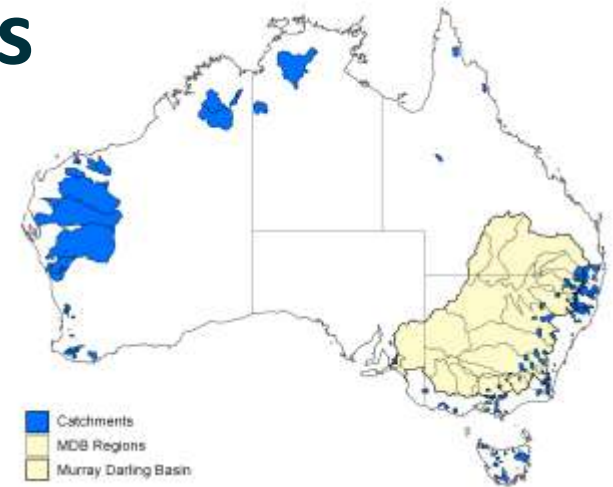
Schenk, H.J. and Jackson, R.B., 2002. J Ecol, 90, pp 480-494

Perennial grasses

$$Z_{max} = -2.662 + 0.392 \log P + 0.543 \log E_p$$

Trees

$$Z_{max} = 4.967 - 0.086 \log P + 1.323 \log E_p$$



Existing rooting depth models

Schenk-Jackson – empirical model (Z_{max})

Schenk, H.J. and Jackson, R.B., 2002. J Ecol, 90, pp 480-494

Guswa – estimates the marginal carbon cost and benefit of deeper roots (Z_e)

Guswa, A.J., 2008. Water Resour. Res., 44(2).

Z_e is estimated, for a vegetation type, as a function of

ϕ = dryness index

κ = relative soil water holding capacity

α = storm depth

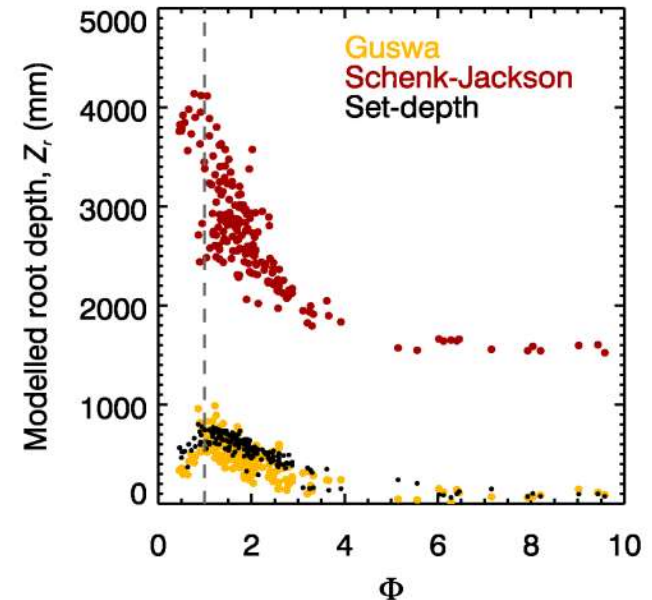
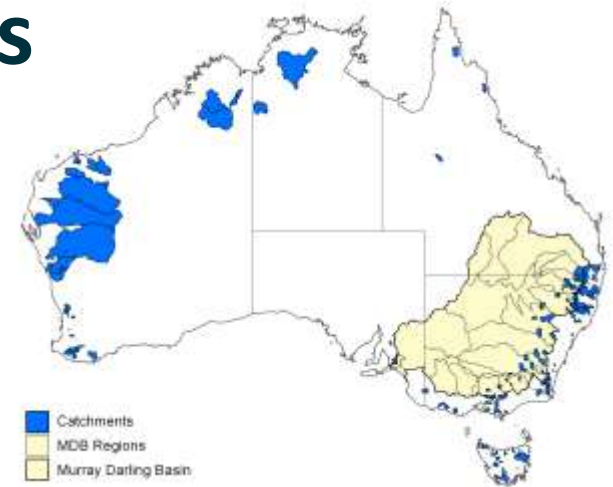
γ_r = mean root respiration rate

f_s = growing season length

SRL = specific root length

RLD = root length density

WUE = water use efficiency (of photosynth)



Existing rooting depth models

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Schenk, H.J. and Jackson, R.B., 2002. J Ecol, 90, pp 480-494

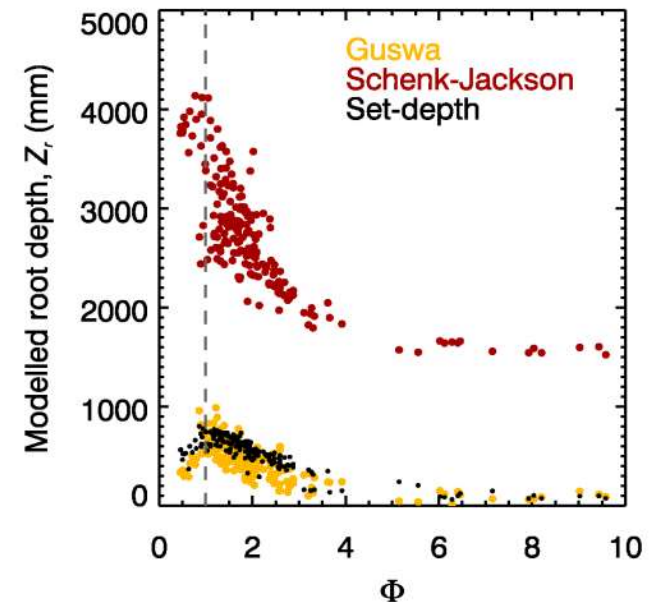
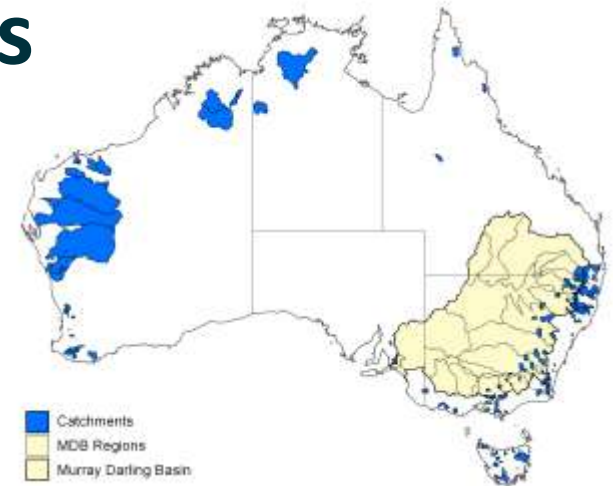
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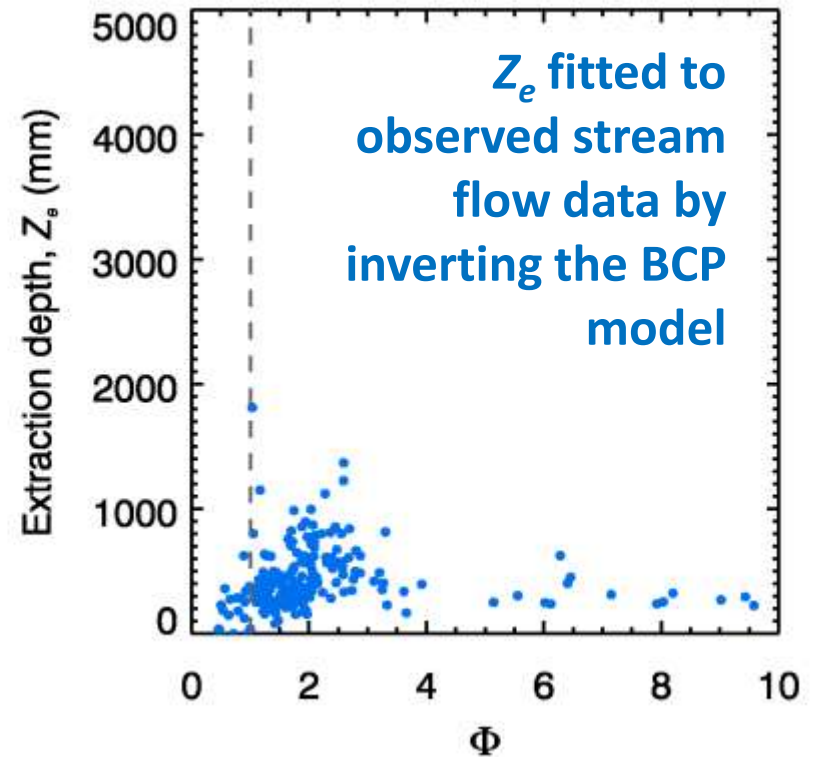
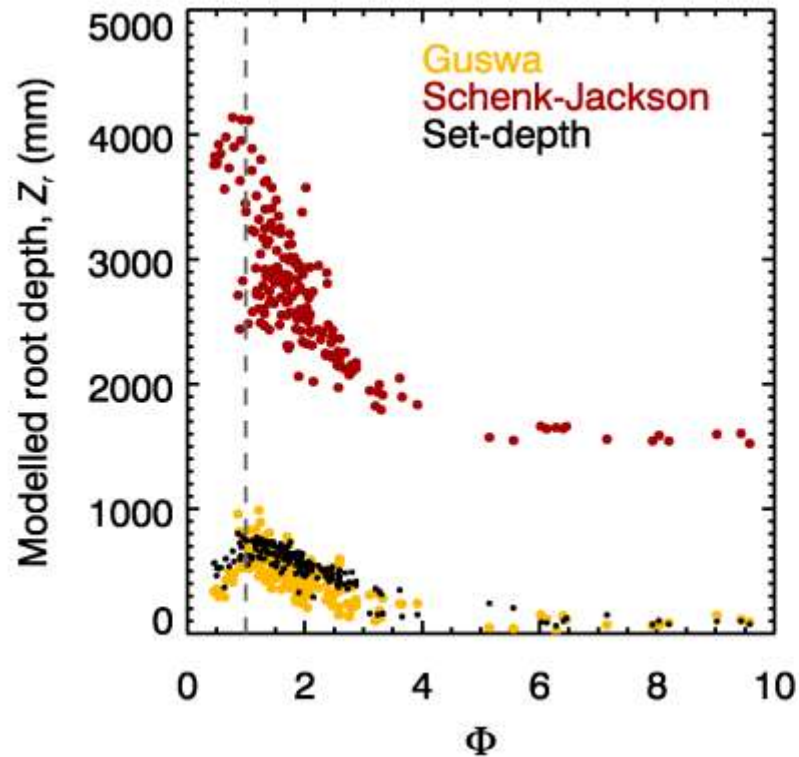
‘Set-depth’ – a constant rooting depth apportioned by remotely sensed fractional vegetation cover:

$$Z_e = 900F_{tree} + 600F_{grass}$$

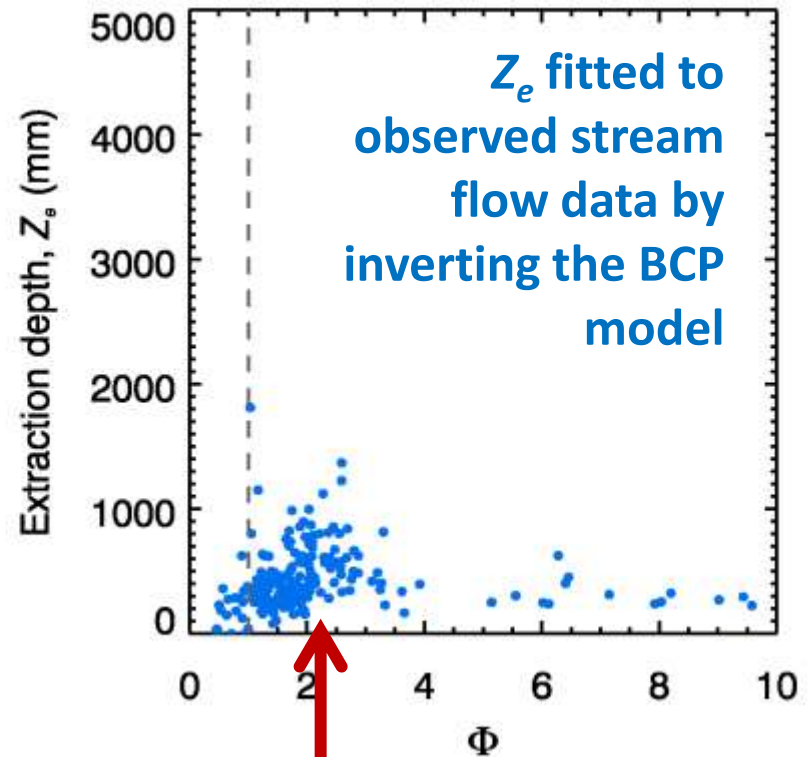
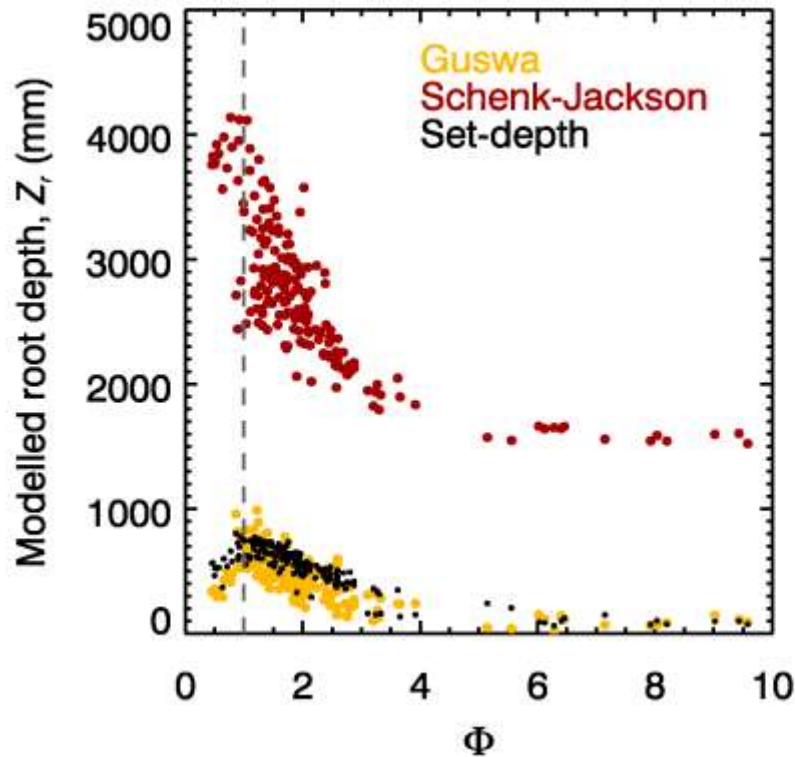
All of these models are run at the annual average time-step



Existing rooting depth models

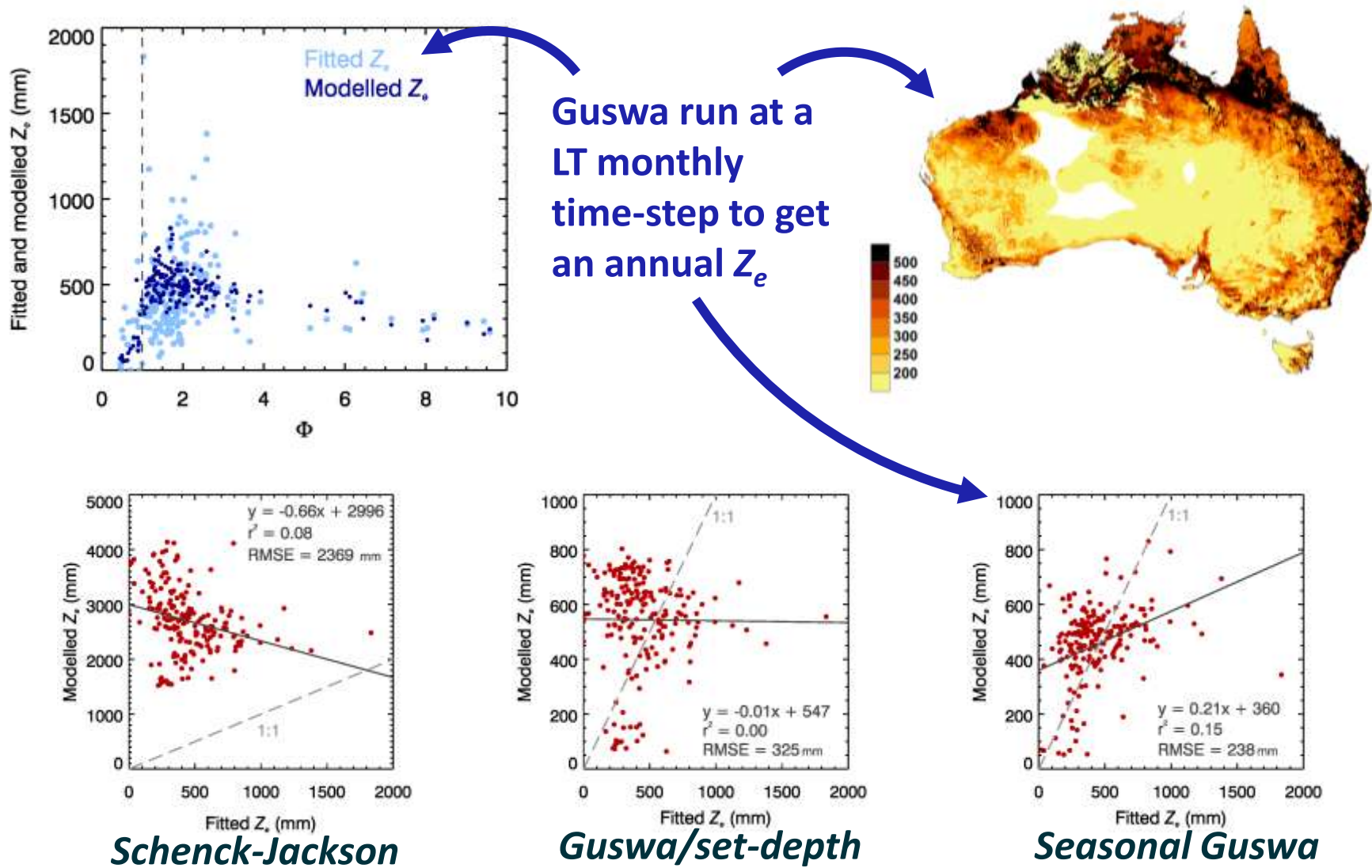


Existing rooting depth models

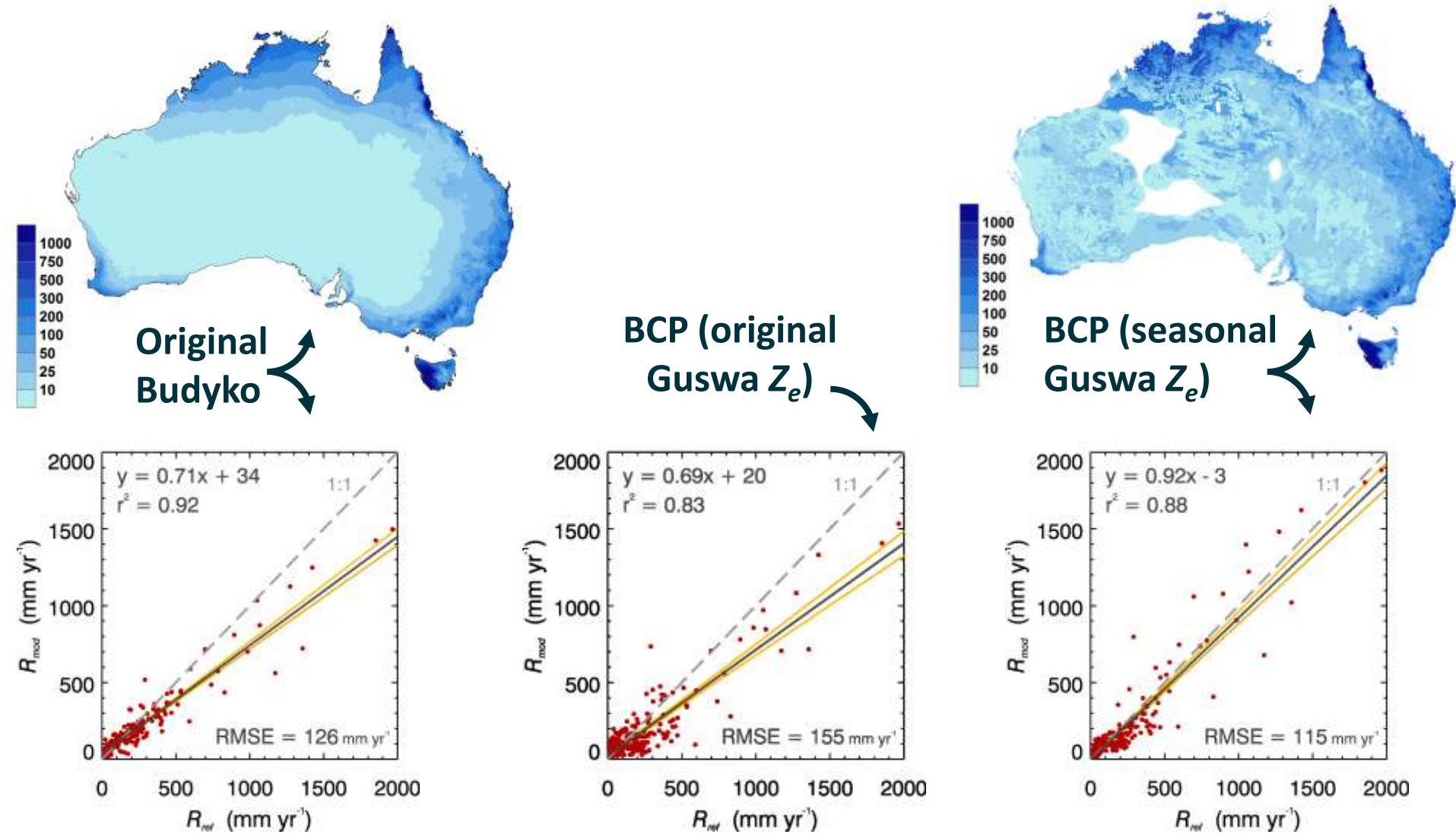


The effects of climate seasonality!

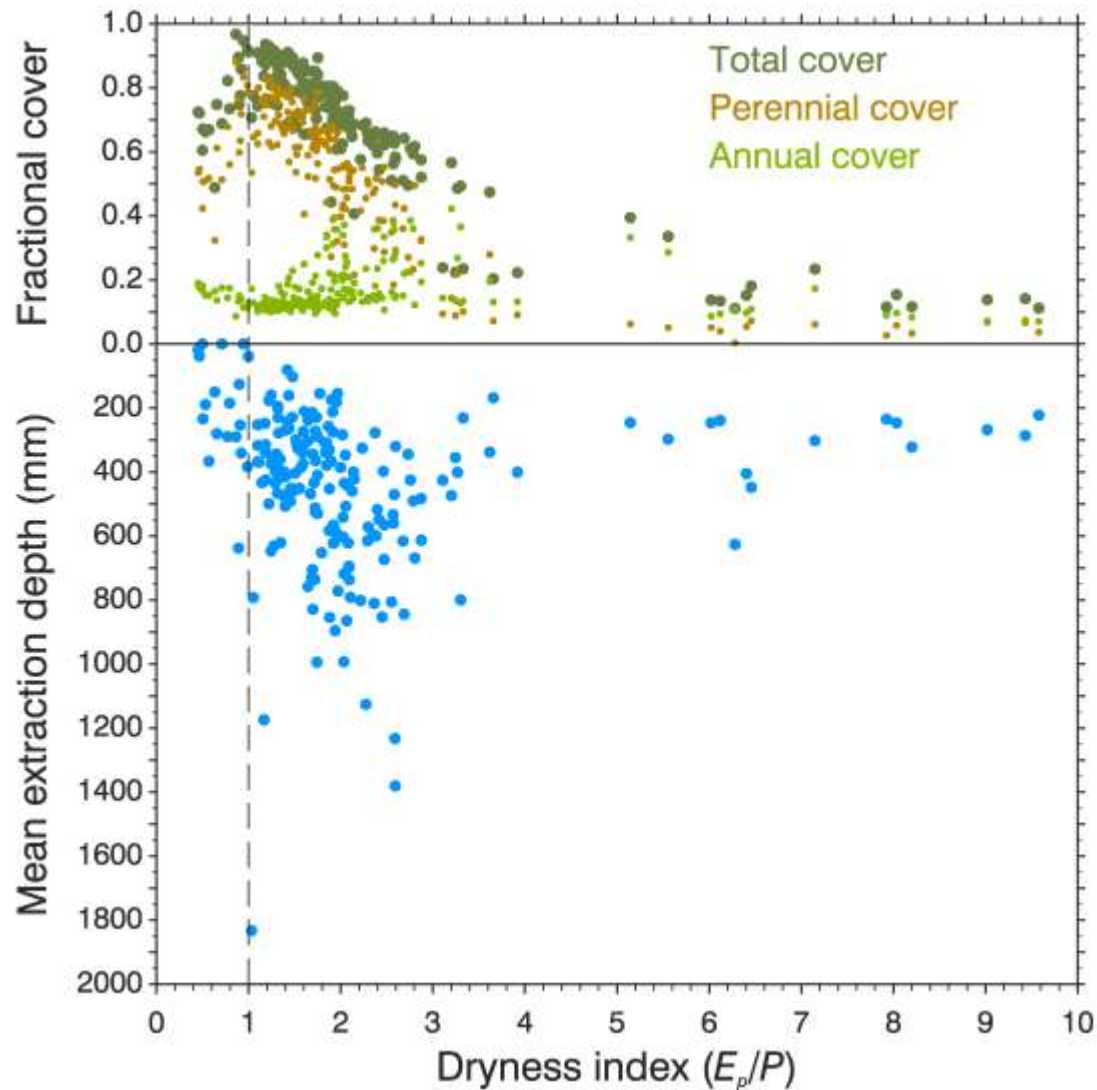
A seasonal implementation of Guswa's model



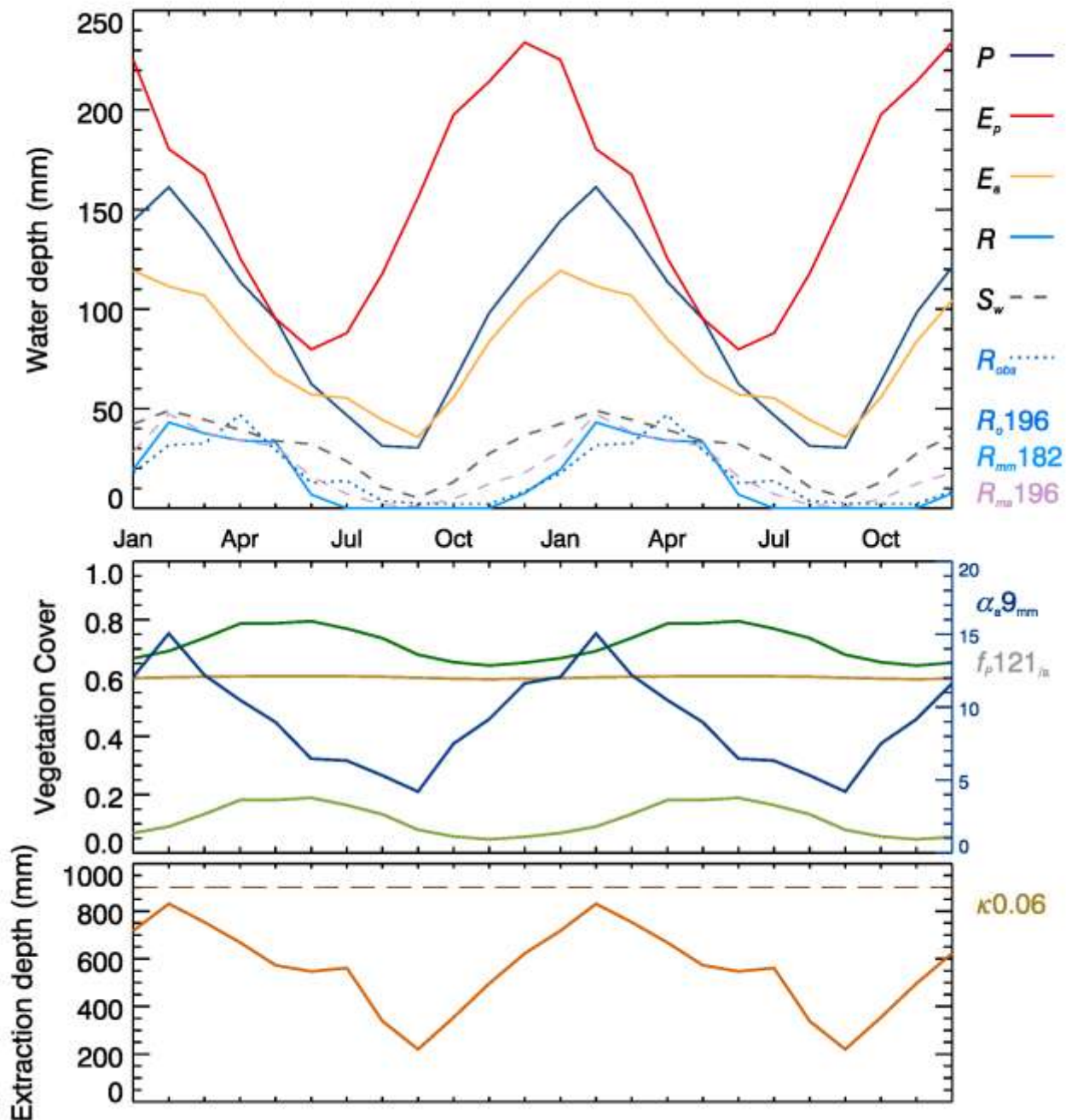
Stream flow estimated using the BCP model



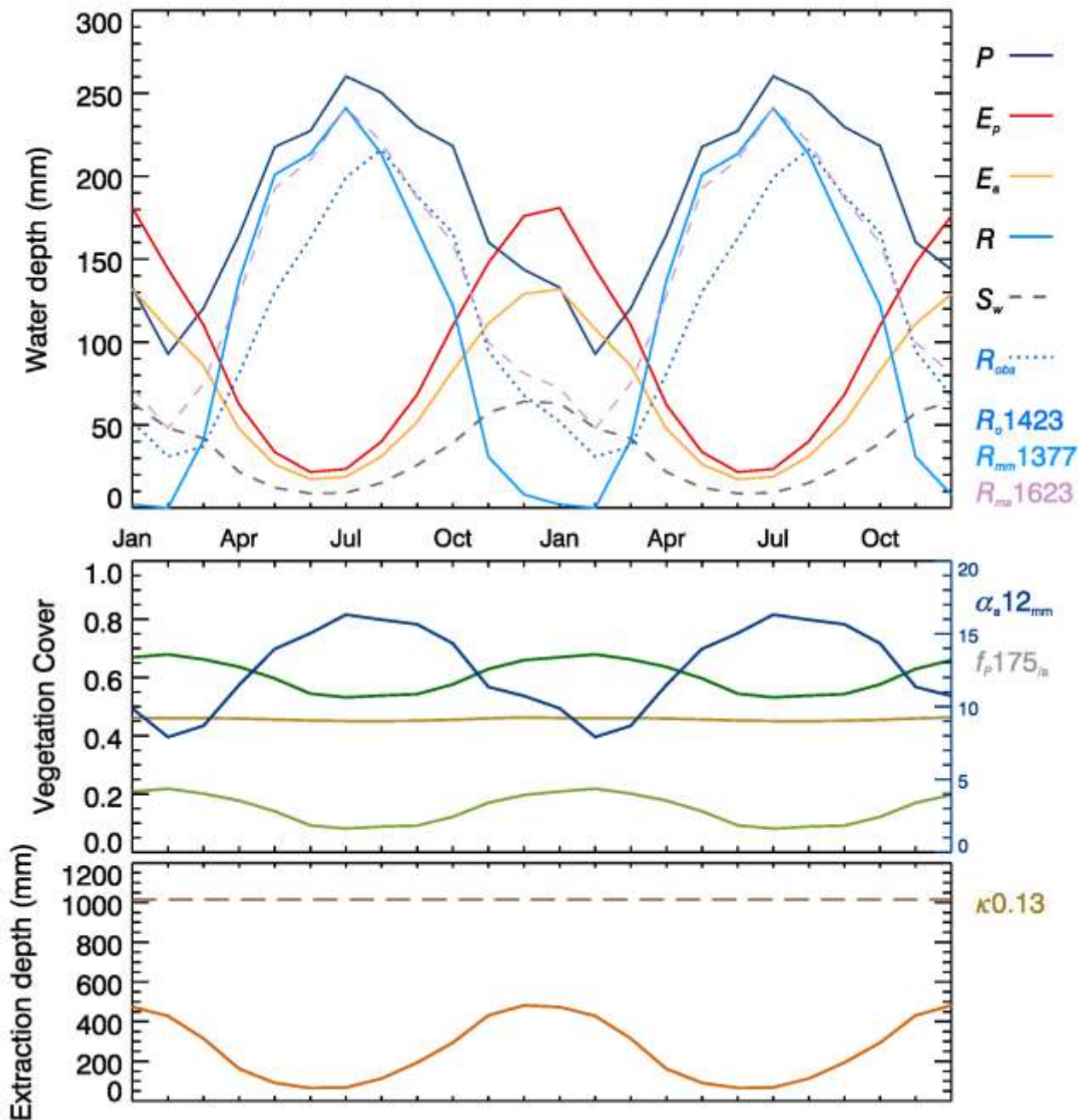
Implications for the carbon cycle



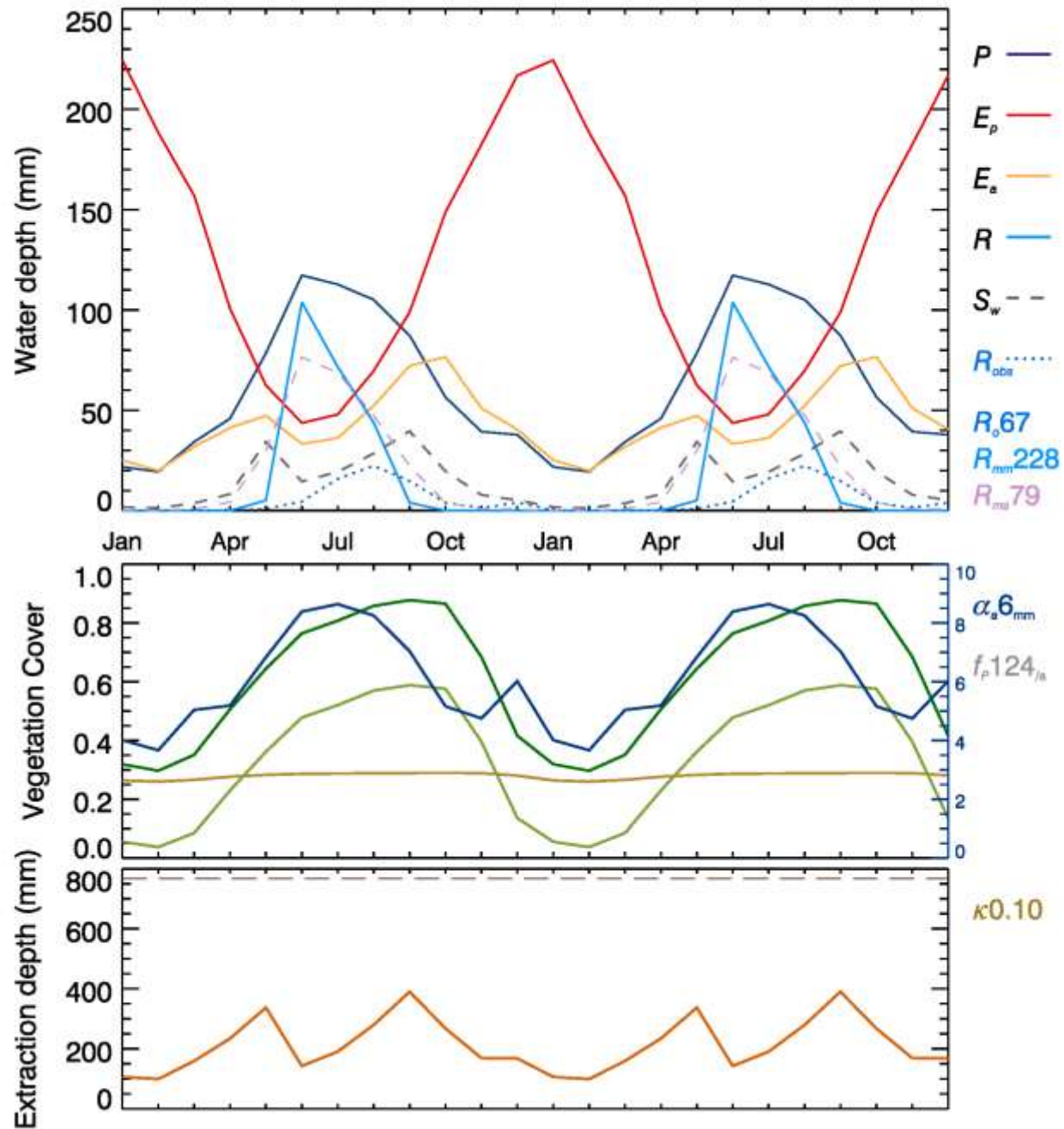
204055 'Sportsmans Ck at Gurranang Siding'



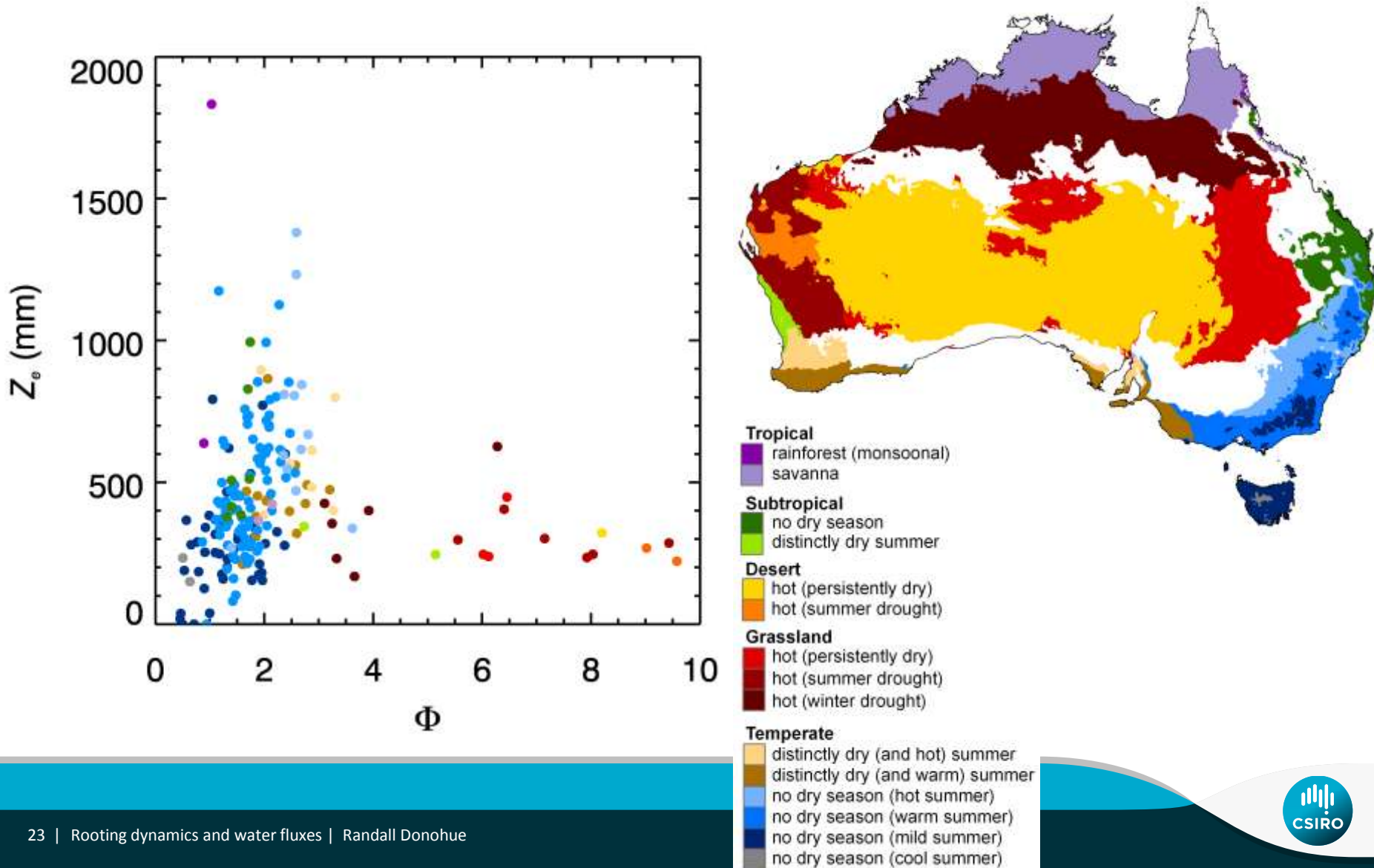
315450 'Forth River above Lemonthyme Power Station'



426503 'ANGAS R at ANGAS WEIR'



Koppen climatic classes and fitted rooting depth



A seasonal implementation of Guswa's model

