# Carbon and water fluxes of an arid zone Mulga: some random observations 

Derek Eamus, Nicolas Boulain and
James Cleverly


## Rainfall was concentrated in the first 7 months of the study period ("wet season")




# Soil moisture content at 10 cm responds to small rainfall events 



## Soil moisture content at 100 cm shows minimal change

$$
\begin{aligned}
& 0
\end{aligned}
$$

181522296132027310172418152229512192629162329162330613202741118251815222961320273101724317
Sept Oct Nov Dec Jan Feb Mar Apr May June Jul Aug

# Daily ET rises and falls according to rainfall (ie soil moisture content) 


$F_{c}$ peaks in Dec - Mar when soil moisture consistently high and solar radiation and temperatures are high but these aren't the only drivers


## MODIS LAI checked with 8 field measurement with reasonable agreement



Field measurements partition overstorey and understorey LAI - largest change occurs in the understorey


## Conclusion:

Changes in LAI account for large part of seasonal changes in $F_{c}$ and most of the change occurs in the understory same as NT savannas -but soil crusts might be important too!

## Net C uptake except for Nov 2010 and Sept 2011

## $F_{c}$ increases with increasing ET



WUE ( $F_{d} / E T$ ) increases as time since last rain increases. What drives this?
(each line is a single rain event)


# WUE ( $F_{c} / E T$ ) in the "dry season": WUE decreases with increased D 



WUE ( $F_{c} / E T$ ) for the "wet " season: no response to D. D does not drive increased WUE in the wet season (as soil moisture declines $D_{\text {vPD (kPa) }}$ increases)


## WUE ( $F_{c} / E T$ ) in the dry season: WUE increases with decreasing soil moisture content



## WUE ( $F_{c} / E T$ ) wet season increases with declining soil moisture content



## Conclusions about WUE

- In the dry season, changes in WUE driven by D
- In the wet season, changes in WUE driven by soil moisture content


## What about Inherent WUE?

- Inherent WUE $=\mathrm{A} / \mathrm{g}_{\mathrm{s}}$
- Since $g_{s}=E / D$ then $A / g_{s}=A /(E / D)=A * D / E=$ WUE*D $=F_{c}{ }^{*} D / E T$
- This is a measure of WUE independent of differential effects of $D$ on ET and $F_{c}$
- Essentially IWUE is a measure of efficiency of fixing $C$ per unit $g_{s}$


IWUE increases in the dry season as soil moisture content declines


## IWUE increases with increasing D in both wet and dry seasons



Slope of WUE vs $1 /$ sqrt $D$ is proportional to the marginal carbon cost of water - which increases in the dry season

WUE versus 1 /sqrtD wet season

WUE versus $1 /$ sqrt D dry season


## Conclusions

- Mulga is highly responsive to rainfall: even 5 mm is sufficient to trigger a response in $\mathrm{F}_{\mathrm{c}}$ and ET
- WUE is driven by $D$ in the dry season but soil moisture content in the wet season
- IWUE increases with decreasing D in both seasons
- A positive C balance was seen in $10 / 12$ months
- The marginal C cost of water increases in the dry season
- Changes in LAI of the understory are the main causes of seasonal changes in LAI and $\mathrm{F}_{\mathrm{c}}$
- Very little drainage past 100 cm depth occurs, even when monthly rainfall was > 120 mm (Feb 2011)


## Why is marginal carbon cost of water proportional to 1/sqrtD? <br> $$
g_{s}=g_{o}+\left(1+g_{1} / s q r t D\right)\left(A / C_{a}\right)
$$

Where $\mathrm{D}=\mathrm{VPD}$ and $\mathrm{g}_{1}$ is a constant that reflects the marginal water cost of carbon and $g_{0}$ is cuticular conductance (assumed to be negligible)

If canopy coupling is high, $\mathrm{E}=\mathrm{g}_{5} \mathrm{D}$
Then $A / E=$ WUE $=C_{a} /\left(g_{1}(\right.$ sqrtD $\left.)+D\right)$

- So plot of WUE versus sqrtD has a slope proportional to the inverse of $g_{1}$ so the slope is proportional to the marginal carbon cost of water


## Put another way:

$g_{1}$ is proportional to $\operatorname{sqrt}\left(\Gamma^{*} \lambda\right)$ (Medlyn et al 2012) where $\Gamma^{*}$ is the compensation point, and $\lambda$ is the marginal water cost of carbon
and

- $W U E=C_{a} /\left(g_{1}\right.$ (sqrtD)+D)
- So WUE versus sqrtD has a slope proportional to $1 / \lambda$ ie, marginal carbon cost of water


# Daily ET declines as the number of days since the last rain increases 



